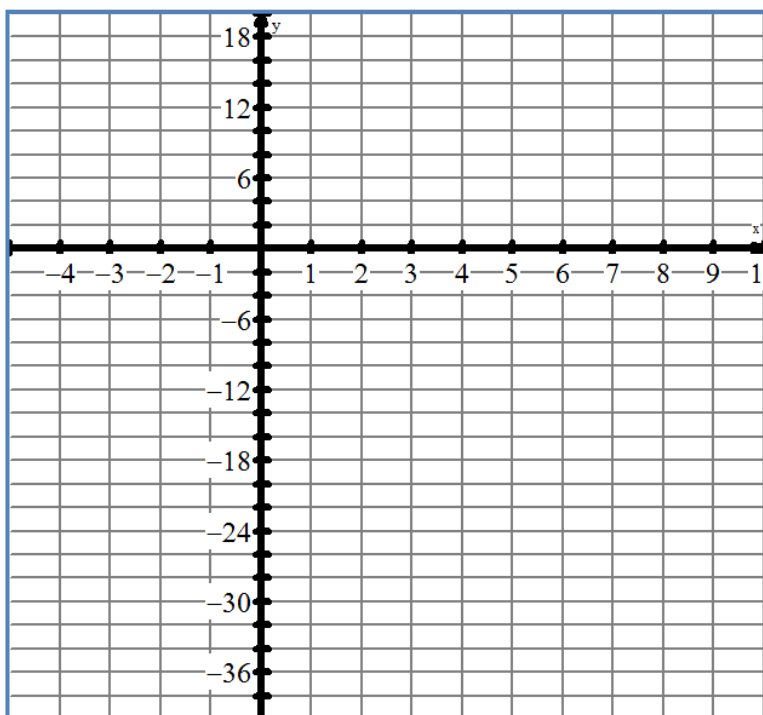
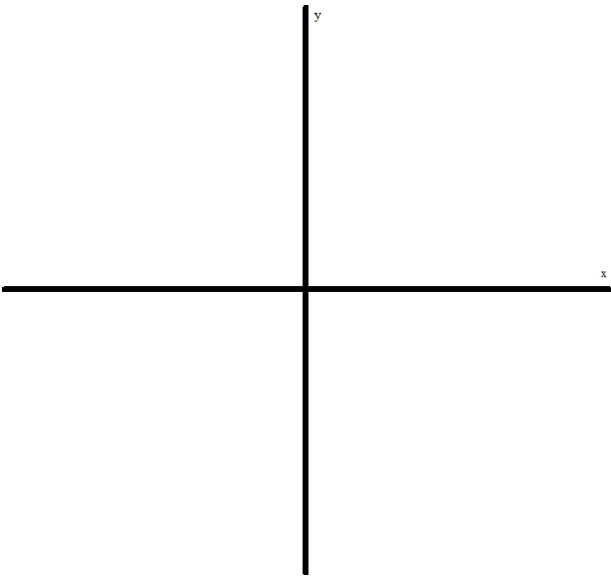
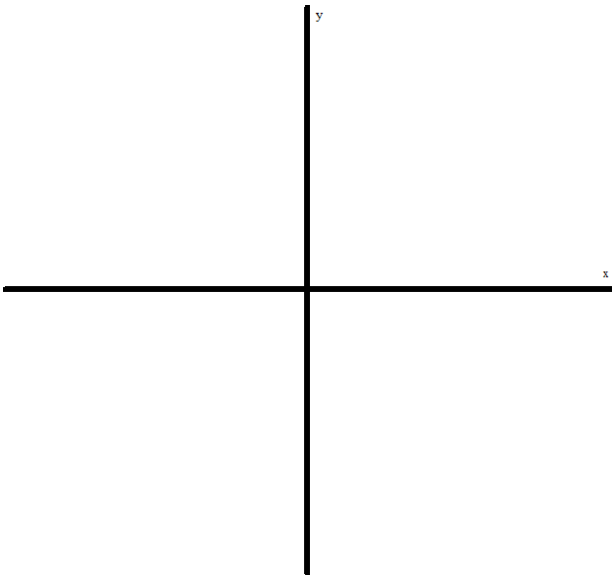


(A) Review – Forms of Quadratic Equations

Standard Form: $f(x) = 2x^2 - 8x - 24$	Intercept Form: $f(x) = 2(x - 6)(x + 2)$	Vertex Form: $f(x) = 2(x - 2)^2 - 32$
<u>Analysis:</u> Determine the y-intercept of $f(x)$	<u>Analysis:</u> Determine the zeroes of $f(x)$ Determine the eqn of the axis of symmetry of $f(x)$	<u>Analysis:</u> Determine the vertex of $f(x)$
<u>Algebra:</u> Factor $f(x)$	<u>Algebra:</u> Expand and simplify $f(x)$	<u>Algebra:</u> Expand and simplify $f(x)$
<u>Graphic:</u> Sketch $f(x)$ given the results of your analysis and algebraic workings.		<u>Further Analysis – Transformations:</u> Explain how the parabola $y = 2x^2$ has been transformed so that its equation now is $y = 2(x - 2)^2 - 32$



(B) Working with Quad. Eqns in Vertex Form – Algebraic Examples

<p><u>Example #1:</u> Find the vertex, axis of symmetry & the direction of opening for $g(x) = -\frac{1}{2}(x - 5)^2 + 8$.</p>	<p><u>Example #2:</u> Find the vertex, axis of symmetry & the direction of opening for $h(t) = 2(t - 3)^2 - 7$.</p>
<p>Find the y-intercept of $g(x)$</p>	<p>Find the y-intercept of $h(t)$</p>
<p>Find the x-intercepts of $g(x)$</p>	<p>Find the x-intercepts of $h(t)$</p>
<p>Find another point of $g(x)$</p>	<p>Find another point of $h(t)$</p>
<p>Sketch $g(x)$ and label the key points.</p> 	<p>Sketch $h(t)$ and label the key points.</p> 

(C) Working with Quad. Eqns in Vertex Form – Algebraic Examples

Example 3: A parabola has a maximum point $g(-2) = 10$ and additionally $g(0) = 2$.

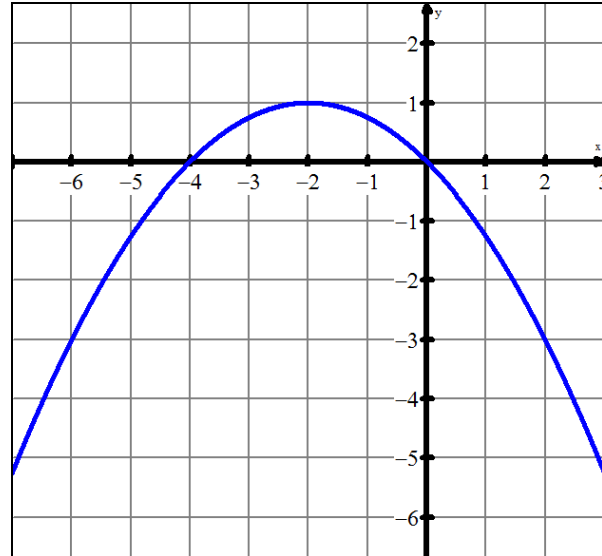
(a) Which direction does the parabola open?

(b) How do you know?

(c) Determine the equation of this parabola.

(d) Explain how you could verify that your equation is correct.

Example 4: Determine the equation of the parabola given in the following graph.



(a) Show your working here.

(d) Explain how you could verify that your equation is correct.

Example 5: A quadratic function has $g(0) = -4$ and $g(2) = 0$ and $g(-4) = 0$. Determine the equation of $g(x)$ in vertex form.

(D) Solving Quadratic Equations in Vertex Form

<p>Algebraic: Solve $(x - 4)^2 = 9$</p> <p>Graphic: Use your TI-84 to graph the SYSTEM/EQN and then EXPLAIN the graphic significance of the original eqn.</p>	<p>Algebraic: Solve $(x - 4)^2 = 0$</p> <p>Graphic: Use your TI-84 to graph the SYSTEM/EQN and then EXPLAIN the graphic significance of the original eqn.</p>
<p>Algebraic: Solve $(x - 4)^2 - 16 = 0$</p> <p>Graphic: Use your TI-84 to graph the SYSTEM/EQN and then EXPLAIN the graphic significance of the original eqn.</p>	<p>Algebraic: Solve $\frac{1}{2}(x - 4)^2 - 18 = 0$</p> <p>Graphic: Use your TI-84 to graph the SYSTEM/EQN and then EXPLAIN the graphic significance of the original eqn.</p>
<p>Algebraic: Solve $(x - 2)^2 - 5 = 0$</p> <p>Graphic: Use your TI-84 to graph the SYSTEM/EQN and then EXPLAIN the graphic significance of the original eqn.</p>	<p>Algebraic: Solve $(x - 1)^2 + 3 = 0$</p> <p>Graphic: Use your TI-84 to graph the SYSTEM/EQN and then EXPLAIN the graphic significance of the original eqn.</p>

(E) Working with Quad. Eqns in Vertex Form – Applications.

Mr. S. has determined that student marks tend to follow a parabolic trend which he has modelled using the equation $P(m) = -\frac{1}{2}(m - 4)^2 + 90$. The independent variable is m and represents the number of months since the beginning of August; i.e. if $m = 2$, then that represents Oct 1 and so $m = 5$ represents now (Jan 1). The dependent variable, P , represents the student's average as a percentage. (NO TI-84 for this Q)

- Determine the student's average at the beginning of the school year.
- Determine the student's maximum mark and when the maximum mark occurred.
- What is the student's predicted final grade on June 1?
- ALGEBRAICALLY solve and then interpret the equation $88 = -\frac{1}{2}(m - 4)^2 + 90$
- Explain WHY a quadratic model COULD BE appropriate for showing the change in student marks over an entire school year.

(F) Homework: Nelson 10; Chap 4.2, p351, Q2cf, 3ef, 5ab, 7d, 9e, 10c, 11, 13, 21