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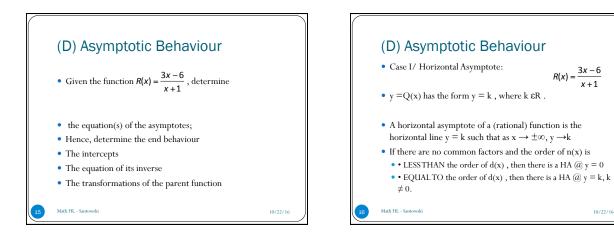
(D) Asymptotic Behaviour Vertical Asymptote: What value(s) of x make(s) y get very large? a) A vertical asymptote of a (rational) function is the vertical line x = h such that as x → h, y → ±∞.

- b) There may be ONE or MORE THAN ONE VA (vertical asymptote) for rational functions.
- c) To determine the equation of the vertical asymptote(s), first ensure that you have checked for common factors and reduced the rational function. Then, set the denominator of a rational function equal to zero d(x) = 0 and solve for x. State VAs as equations of vertical lines.
- d) The graph of a rational function NEVER crosses a vertical asymptote.
- Exercise: Determine the equation(s) of the VA of $y = x/(x^2 + x 6)$.

Math HL - Santowski

(D) Asymptotic Behaviour Non-Vertical Asymptotes: What happens to y as x gets very large? a) Non-vertical asymptotes have equations of the form y =Q(x), where Q(x) represents the quotient of the numerator divided by the denominator. b) There will be ONLY ONE non-vertical asymptote for rational functions. c) To determine the equation of the non-vertical asymptote, first ensure that you have checked for common factors and reduced the rational function. Then, set y equal to the quotient of the rational function's numerator divided by its denominator. Therefore y =Q(x) is the equation of the non-vertical asymptote. AS LONG AS R(x) ≠ 0. d) The graph of a rational function MAY cross a non-vertical asymptote, but it does not have to. e) The order of the quotient (and therefore the shape of the non-vertical asymptote) depends on the orders of the numerator and denominator. Let's investigate three possible cases for the orders of n(x) and d(x) :

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