

<u>Unit 1 - Linear Functions</u>	RED	YELLOW	GREEN
<p>Review of Function Concepts</p> <ul style="list-style-type: none"> • Find the domain and range of a relation. • Identify if a relation is a function or not. • Work with function notation & evaluating & solving of functions. • Work with function notation in application based problems. <p>Working with Linear Functions</p> <ul style="list-style-type: none"> • Use an algebraic & graphic perspective to review fundamental skills (slope, intercepts, convert, evaluate & solve) related to slope-intercept & point-slope forms of linear equations • Introduce standard form & intercept form of linear equations & relate back foundational skills • Generate the graphs of these linear functions on technology (TI-84 & DESMOS) • Graph and analyze linear functions with domain/range limitations • Extend linear functions to piecewise functions and the absolute value function • Write equations to model real world scenarios using slope-intercept form of linear functions • Write equations to model real world scenarios using standard form of linear functions • Apply function basics like domain and range to real world scenarios <p>Working with Linear Systems</p> <ul style="list-style-type: none"> • Write pairs of equations to model real world scenarios involving two unknowns. • Reviewing algebraic methods for solving simultaneous linear equations (elimination & substitution) • Investigate the numbers of solutions that linear systems can have • Use multiple representations in solving linear systems 			

<p style="text-align: center;"><u>Unit 2 - Functions</u></p> <p>Basics of Functions & Domains and Ranges (Lesson 2.1)</p> <ul style="list-style-type: none"> • Be able to evaluate a function (i.e $f(3)$) when given multiple representations of the functions: {equation for $f(x)$, a graph for $f(x)$ or a data table/list/mapping for $f(x)$} • Solve a function for a given value of $f(x)$ (i.e solve $f(x) = 3$) when given multiple representations of the functions: {equation for $f(x)$, a graph for $f(x)$ or a data table/list/mapping for $f(x)$} • State domain and range when given multiple representations of the functions: {equation for $f(x)$, a graph for $f(x)$ or a data table/list/mapping for $f(x)$} 			
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<ul style="list-style-type: none"> • be able to change representations → (i) from graph or data table, write eqn; (ii) from eqn, make graph or data table • be able to understand the connections amongst the representations (graph, data table, equation/algebraic) <p>Features of Functions & New Parent Functions (Lesson 2.2 & Lesson 2.4)</p> <ul style="list-style-type: none"> • Be able to identify key features of any function when presented with a graph of the function. These analysis features would include D/R, asymptotes, optimal points, continuities, symmetry, intervals of increase/decrease • be able to graph and analyze the key features of the following new parent functions: $\{y = x , y = 1/x, y = \sqrt{x}\}$. <p>Inverses of Functions (Lesson 2.3)</p> <ul style="list-style-type: none"> • Be able to write the inverse of functions when presented with graphic and numeric representations of a functions (data tables, lists of ordered pairs) • Be able to state the domains and ranges of inverse functions when presented with graphic and numeric representations of a functions (data tables, lists of ordered pairs) • Be able to solve and evaluate (i.e. solve $f^{-1}(x) = 3$) and evaluate ($f^{-1}(3)$) with inverses presented as graphic and numeric representations of a functions (data tables, lists of ordered pairs) • Be able to work with inverses of linear and quadratic functions when presented with equations and graphs for these functions • Be able to apply the concept of inverse functions to contextual problems (i.e in physics → the relationship between height vs time and its inverse relationship (of time vs height) <p>Transformations of Functions (Lesson 2.5)</p> <ul style="list-style-type: none"> • Be able to perform TRANSLATIONS of the graph of a variety of functions including: $\{a\}$ piecewise defined function & parent functions of $y = x^2, y = x , y = 1/x, y = \sqrt{x}\}$ • Be able to perform VERTICAL STRETCHES/COMPRESSIONS of the graph of a variety of functions including: $\{a\}$ piecewise defined function & parent functions of $y = x^2, y = x , y = 1/x, y = \sqrt{x}\}$ • Be able to state applied transformations of a parent function when presented with an equation or a graph • Be able to perform transformations upon key points of a function • Be able to identify the locations of key features of functions after the application of transformations (i.e. new location of vertex, asymptotes, y-intercepts, x-intercepts) 			
<p><u>Unit 2 & 3 - Quadratic Functions</u></p>			
<p>Quadratic Basics:</p> <ul style="list-style-type: none"> • Be able to evaluate ($f(2) = ?$) with all three forms of QF • Be able to analyze all three forms of QF for key features (vertex, roots, y-intercepts, points), from both its equation or its graph 			

Unit Objectives to Study | DEC EXAM PREP

<ul style="list-style-type: none"> • Be able to graph/sketch QF from equations presented in any of the three forms • Be able to apply the features of QF in contextual problems <p>Quadratic Algebra:</p> <ul style="list-style-type: none"> • Be able to solve QE in the form of $f(x) = 0$ by factorization (when $a = 1$ and when $a > 1$) and understand the graphic significance of solutions. • Be able to solve QE in the form of $f(x) = 0$ using the square root method and the completing the square method, both when $a = 1$ and $a > 1$. • Be able to solve QE in the form of $f(x) = 0$ using the Quadratic Formula. • Be able to solve QE using ANY method when presented with equations in the form of systems (i.e solving $f(x) = g(x)$ where either or both f & g are quadratic functions) • Be able to use the discriminant to predict the number of solutions to the quadratic equation $f(x) = 0$ • be able to create and solve quadratic equations from word problems • be able to apply knowledge of quadratic functions (features & algebra) to contextual problems when provided with (i) the equation, (ii) the graph, (iii) a data set 			
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