PART A - This section of the test is CALCULATOR INACTIVE

- 1. The equation of the axis of symmetry of f(x) = -2(x + 3)(x 6) is: (1M)

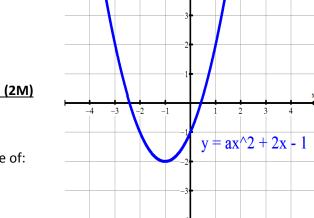
- 4. Determine the value of k so that the discriminant of $y = x^2 + 6x + k$ is 0. (1M)
- 5. The value of k that makes $y = x^2 + kx + \frac{81}{4}$ a perfect trinomial is: (1M)
- 6. T or F? The point (1,2) is part of the solution to $y > x^2 + x 5$. Show supporting evidence.
 - (1M)
- 8. The ordered pair of the vertex of $y = x^2 + 2x + 1$ is: (2M)

- 10. Determine the range of the quadratic relation $y = -(x + 2)^2 + 12$. (2M)
- 11. The zeroes of $x^2 + px + q = 0$ are 5 and -2. What are the values of p and q? (2M)

(4M)

${\sf PART\;B}\;$ - This section of the test is CALCULATOR INACTIVE

- 12. You rre given the graph of $y = ax^2 + 2x 1$.
 - a) The solution to the inequality $ax^2 + 2x 1 > 2$ is:



- b) The discriminant of this parabola must have a value of: (1M)
 - (i) more than 0
- (ii) equal to zero
- (iii) less than 0
- (iv) we can't tell since the value of a is not given
- c) Is the solution to the equation of $0 = ax^2 + 2x 1$ an element of the set of complex numbers? (1M)

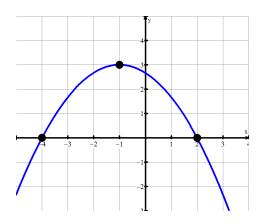
 (i) yes (ii) no (iii) we can't tell since the value of a is not given
- 13. Solve the equation $3(2x + 1)^2 + 5 > 14$. Leave answer in simplified radical form (if necessary).

14. Determine the value for k such that system $\begin{cases} 6x + 9y = 18 \\ \sqrt{k} - \frac{2}{3}x - y = 0 \end{cases}$ has infinitely many solutions.

(4M)

15. Determine the equation of the quadratic function whose graph is given. Write the equation in standard form.

(4M)



- 16. A soccer ball is kicked by Mr Atkinson from the roof of a building. The height of the ball is modeled by the equation $h(t) = -5t^2 + 20t + 105$, where h(t) is the height of the ball in meters and t is time in seconds.
 - a) Determine the maximum height of the ball.

(2M)

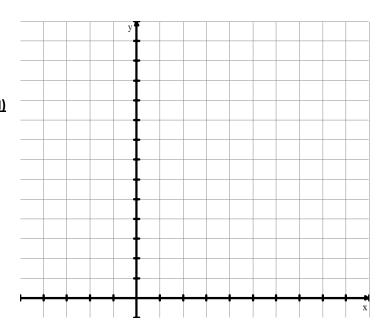
b) For how long is the ball in flight?

(2M)

c) For how many seconds is the height of the ball less than 120m?

(3M)

d) Sketch $h(t) = -5t^2 + 20t + 105$, showing the key features of the graph. (2M)

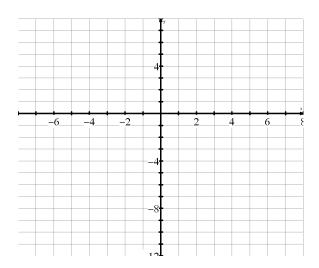


$PART\ A - This\ section\ of\ the\ test\ is\ CALCULATOR\ ACTIVE$

 $\begin{cases} y = -\frac{1}{2}x^2 + x - 2 \\ 3x - 2y = 12 \end{cases}$ algebraically. To verify your solution, sketch a graph from your TI-83/4 1. Solve the system

illustrating the solution .

<u>(5M)</u>



2. If (-2,7) is the maximum point for $f(x) = -2x^2 - 4ax + k$, determine the value of k.

(4M)

3. If x - (2 + i) is one factor of a quadratic function, determine (i) the second factor and (ii) the equation of the quadratic function in standard form.

4. Determine the quotient of $\frac{2-i}{4-3i}$.

(d) What is his maximum profit?

<u>(1M)</u>

${\sf PART}\;{\sf B}\;$ - This section of the test is CALCULATOR ACTIVE

Your solution may be algebraic or graphic, but you MUST present the equations with which you intend to work. Any algebraic solution must show a minimum of equations, substitutions (if necessary) and KEY results from the algebra work. Not ALL steps of the algebra need to be shown. Any graphic work needs to be supported with relevant equations and sketches of graphs showing key results/features. All final answers should be rounded given the context of the number!

etch er!	nes of graphs showing key results/features. All final answers should be rounded given the context of the	
5.	Mr Santowski runs a Math tutoring service. The revenue, in thousands of pesos, from this business are modeled by the equation $R(n) = -0.2n(5n - 100)$ where represents the number of students per month that he tutors. His expenses, or costs, are modeled by the equation $E(n) = \frac{1}{2}n^2 - 8n + 100$. Answer the following questions pertaining to Mr S business:	
	(a) How many students must Mr S tutor if he wants his revenue to exceed 60,000 pesos? (21)	<u>v1)</u>
	(b) Determine the equation for Mr S's business profits. Present your equation in standard form.	<u>(2M)</u>
	(c) How many students must Mr S tutor if he hopes to maximize his profits?	<u>(2M)</u>

A graph of the revenue and expense functions are provided below

